

Comparing Normalizing Flow and Generative Adversarial Networks for Super-Resolution

Konstantin Schmidt International Audio Laboratories Erlangen konstantin.schmidt@audiolabs-erlangen.de





Comparing NF and GANs Introduction



Low resolution: Downsamplingfactor 4



- Deep generative models have been successfully applied to tasks like image super-resolution
- Missing is a comparison of GANs and Normalizing Flow
 - network structures as comparable as possible
 - similar computational complexity
 - same receptive field.



- Variational autoencoders
- Autoregressive models
- Generative adversarial networks
- Normalizing flows
- Diffusion models (!)
- ..hybrid approaches

Slide 3

Normalizing Flow

- Variational autoencoders
- Autoregressive models
- Generative adversarial networks
- Normalizing flows
- Diffusion models (!)
- ..hybrid approaches

Slide 3

- Variational autoencoders
- Autoregressive models
- Generative adversarial networks
- Normalizing flows
- Diffusion models (!)
- ..hybrid approaches



Slide 3



- Variational autoencoders
- Autoregressive models
- Generative adversarial networks
- Normalizing flows.
- Diffusion models (!)
- ..hybrid approaches



Slide 3





- Variational autoencoders
- Autoregressive models
- Generative adversarial networks
- Normalizing flows
- Diffusion models (!)
- ..hybrid approaches







© Audiolabs 2022

Normalizing Flow

- Variational autoencoders
- Autoregressive models
- Generative adversarial networks
- Normalizing flows.
- Diffusion models (!)
- ..hybrid approaches

Additional conditional information can be used to steer the network

© Audiolabs 2022

Slide 3

Normalizing Flow

Konstantin Schmidt



 $\mathbf{z}_{0} \xrightarrow{f_{1}(\mathbf{z}_{0})} \mathbf{z}_{1} \cdots \mathbf{z}_{i-1} \xrightarrow{f_{i}(\mathbf{z}_{i-1})} \mathbf{z}_{i} \xrightarrow{f_{i+1}(\mathbf{z}_{i})} \cdots \mathbf{z}_{K} = \mathbf{x}$





(a) Forward propagation



(b) Inverse propagation

Jacobian of affine coupling layer:

$$y_{1:d} = x_{1:d}$$

$$y_{d+1:D} = x_{d+1:D} \odot \exp(s(x_{1:d})) + t(x_{1:d})$$

$$\frac{\partial y}{\partial x^{T}} = \begin{bmatrix} \mathbb{I}_{d} & 0\\ \frac{\partial y_{d+1:D}}{\partial x_{1:d}^{T}} & \operatorname{diag}\left(\exp\left[s\left(x_{1:d}\right)\right]\right) \end{bmatrix}$$



© Audiolabs 2022

Slide 4

Normalizing Flow



(a) Forward propagation



(b) Inverse propagation

Jacobian of affine coupling layer:

$$y_{1:d} = x_{1:d}$$

$$y_{d+1:D} = x_{d+1:D} \odot \exp(s(x_{1:d})) + t(x_{1:d})$$

$$\frac{\partial y}{\partial x^{T}} = \begin{bmatrix} \mathbb{I}_{d} & 0\\ \frac{\partial y_{d+1:D}}{\partial x_{1:d}^{T}} & \text{diag}\left(\exp\left[s\left(x_{1:d}\right)\right]\right) \end{bmatrix}$$



© Audiolabs 2022

Slide 4

Normalizing Flow



(a) Forward propagation



(b) Inverse propagation

Jacobian of affine coupling layer:

$$y_{1:d} = x_{1:d}$$

$$y_{d+1:D} = x_{d+1:D} \odot \exp(s(x_{1:d})) + t(x_{1:d})$$

$$\frac{\partial y}{\partial x^{T}} = \begin{bmatrix} \mathbb{I}_{d} & 0\\ \frac{\partial y_{d+1:D}}{\partial x_{1:d}^{T}} & \text{diag}\left(\exp\left[s\left(x_{1:d}\right)\right]\right) \end{bmatrix}$$



© Audiolabs 2022

Slide 4

Normalizing Flow

(deep) neural networks Not invertible!



(a) Forward propagation



(b) Inverse propagation

Jacobian of affine coupling layer:

$$y_{1:d} = x_{1:d}$$

$$y_{d+1:D} = x_{d+1:D} \odot \exp(s(x_{1:d})) + t(x_{1:d})$$

$$\frac{\partial y}{\partial x^{T}} = \begin{bmatrix} \mathbb{I}_{d} & 0\\ \frac{\partial y_{d+1:D}}{\partial x_{1:d}^{T}} & \operatorname{diag}\left(\exp\left[s\left(x_{1:d}\right)\right]\right) \end{bmatrix}$$



© Audiolabs 2022

Normalizing Flow

Comparing NF and GANs For Super-resolution

- Generative adversarial networks allow for
 - flexible design of the networks
 - are hard to optimize and need intensive parameter tunings
- Flow-based models are easy to train
 - Networks need to be invertible with a latent domain of the same dimension as the output image

Comparing NF and GANs



Comparing NF and GANs For Super-resolution

SRGAN (<u>arXiv:1609.04802</u>)

- Rezeptive field:192 pixel
- 0.15 MOPS per pixel

	Channel dim	Kernel size
Conv	Conv 3x64	
17*Conv	64x64	3x3
2*Upsampling Conv	64x256?	3x3
Conv	Conv 64x3	

- Conditional Normalizing Flow
 - Rezeptive field:192 pixel
 - 0.16 MOPS per pixel

	Channel dim	Kernel size	
16 Affine Coupling	6x64->64x12	3x3	
3 Conv layer per A.Coupling	64x64	3x3	

AUDIO LABS

© Audiolabs 2022

Slide 6

Comparing NF and GANs

Comparing NF and GANs

Other DNN and training parameters

- PreLu activations
- Trained on Flickr HQ dataset
- BatchNorm for all models (no ActNorm for Flow)
- Evaluated on CelebA
- All networks trained with batch-size of 64
- Random crops of 256 x 256 pixels were used for training

Slide 7



Comparing NF and GANs Evaluation

	SRGAN	Norm. Flow	SR (no GAN)
FID smaller better	3.858	6.026	5.822
LPIPS smaller better	0.1480	0.2061	0.22674

Frechet Inception Distance (FID): metric based on the *distribution* of activations of *deeper* layers of classification network

Learned Perceptual Image Patch Similarity (LPIPS): metric based on the activations of first layers of classification network

© Audiolabs 2022

Comparing NF and GANs

Slide 8



Comparing NF and GANs Evaluation



Slide 9

Comparing NF and GANs



Comparing NF and GANs Evaluation Flow



© Audiolabs 2022 Slide 10 Comparing NF and GANs Konstantin Schmidt



Comparing NF and GANs Evaluation SRGAN



© Audiolabs 2022 Slide 11 Comparing NF and GANs Konstantin Schmidt



Comparing NF and GANs Evaluation SRGAN (left) - FLOW (right)



© Audiolabs 2022 Slide 12 Comparing NF and GANs Konstantin Schmidt



Comparing NF and GANs Evaluation FLOW - SRGAN



Original:





Flow:





© Audiolabs 2022 Slide 13 Comparing NF and GANs

